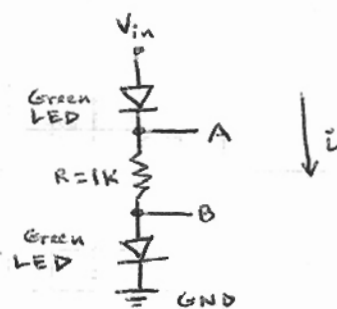
Assumptions

- (1) Red LED — $V_F = 1.5 \text{ V}$
Green LED — $V_F = 2.0 \text{ V}$ } Ideal
- (2) Kirchhoff's Laws
- (3) No current flow (or open circuit) below V_F for each LED
- (4) Positive current flow from high to low voltage

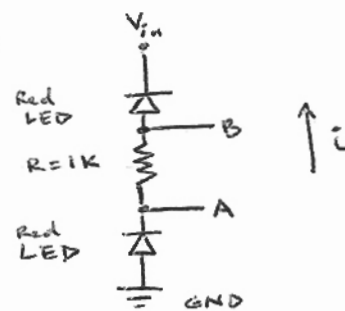
Analysis

Given assumptions above, treat given circuit as two independent circuits:

For $V_{in} > 0$



For $V_{in} < 0$



Write Kirchhoff's Voltage Law in direction of current flow

$$V_{in} - V_A = 2 \text{ V}$$

$$V_B - \text{GND} = 2 \text{ V}$$

$$\rightarrow V_B = 2 \text{ V}$$

$$V_A = V_{in} - 2 \text{ V}$$

$$\boxed{V_A - V_B = V_{in} - 4 \text{ V}}$$

$$\text{GND} - V_A = 1.5 \text{ V}$$

$$V_B - V_{in} = 1.5 \text{ V}$$

$$\rightarrow V_A = -1.5 \text{ V}$$

$$V_B = 1.5 \text{ V} + V_{in}$$

$$\boxed{V_A - V_B = -V_{in} - 3 \text{ V}}$$

These equations are valid only when the supply voltage V_{in} is greater than the minimum voltage drop across the LEDs

$$\underline{|V_{in}| \geq 2V_F \text{ independently for the Green \& Red LEDs}}$$

with respect to a common ground reference, or else the circuit behaves like an open circuit.

* See reverse for sketches 1-5

Sketches of 2 cycles +/- 5 V square and sine wave forms applied to a simple bridge rectifier with green LEDs ($V_F = 2.0$ V) and red LEDs ($V_F = 1.5$ V) and measuring voltages at end points (A and B) of the resistor bridge.

